FEA ANALYSIS OF SHOWERHEAD

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introduction

SHOWERHEAD:

- This study focuses on the FEA analysis of a plasma-producing showerhead, aiming to improve its efficiency and reliability.
- The primary goal is to maintain a constant temperature throughout the wafer from the shower head.
- In this study, varying critical design factors are heater coil length, cooling channel path, coolant flow rate, thermal gasket material, gasket diameter, and power input conditions.





DESIGN OPTIMIZATION OF SHOWERHEAD

Objective:

- Optimize the heater coil and cooling channel design.
- Limit temperature variation on the showerhead to 5°C.

Methodology:

- Performed a steady-state thermal analysis for the showerhead.
- Performed a parametric study by varying:
 - a) Heater coil length
 - b) Cooling channel path
 - c) Coolant flow rate
 - d) Thermal gasket material
 - e) Gasket diameter
 - f) Power input conditions
- The problem can be solved either by FEA or CFD approach.
- FEA is a cost and time-saving approach while the CFD approach involves greater time and cost investment.
- The challenge with FEA is to compute the heat transfer coefficients for the cooling channel analytically.
- Both FEA and CFD simulations were performed for one design configuration, and results were compared.
- Analytically calculated heat transfer coefficients(HTC) were in close correlation with computed values by CFD.
- FEA approach was used for other design configurations.
- The cooling channel was divided into 4 equal segments of length and HTC for each segment is defined.
- Ansys solver is used for the simulation.

SHOWERHEAD ANATOMY



LOADS AND BOUNDARY CONDITIONS



- Heater load of 0.46 to 6kW is applied to heater volume.
- Heat transfer coefficients (HTC) are applied to the walls of the cooling channel.
- Inlet fluid temperature = 25 to 65 °C

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Inlet fluid volume flow rate = 4 or 6 GPM

Cooling channel segments A, B, C, & D

HEAT TRANSFER COEFFICIENT CALCULATIONS

(8.19)

Step 1: Reynolds number computation

$$\mathrm{Re} = rac{
ho uL}{\mu} = rac{uL}{
u}$$

where:

- ρ is the density of the fluid (SI units: kg/m³)
- *u* is the flow speed (m/s)
- $\bullet\,L$ is a characteristic linear dimension (m)
- μ is the dynamic viscosity of the fluid (Pa·s or N·s/m² or kg/(m·s))
- v is the kinematic viscosity of the fluid (m²/s).

Step 2: Wall friction coefficient computation

 $f = \frac{64}{Re_0}$

For fully developed turbulent flow, the analysis is much more complicated, and we must ultimately rely on experimental results. Friction factors for a wide Reynolds number range are presented in the *Moody diagram* of Figure 8.3. In addition to depending on the Reynolds number, the friction factor is a function of the tube surface condition. It is a minimum for *smooth* surfaces and increases with smooth surface condition are of the form

$f = 0.316 Re_D^{-1/4}$	$Re_D \leq 2 \times 10^4$	(8.2
$f = 0.184 Re_D^{-1/5}$	$Re_D \gtrsim 2 \times 10^4$	(8.2
s been developed by Petukhov [4] and is	mpasses a large Reynolds nur of the form	nber ra
$f = (0.790 \ln Re_D - 1.64)^{-2}$	$3000 \leq Re_p \leq 5 \times 10^6$	(8

Step 3: Nusselt number computation

Gnielinski Equation

Although the **Dittus-Boelter** and **Sieder-Tate equations** are easily applied and are certainly satisfactory for the purposes of this article, errors as large as 25% may result from their use. Such errors may be reduced through the use of more recent, but generally more complex, correlations such as the **Gnielinski correlation**. This equation is valid for tubes over a large Reynolds number range including the transition region.

Correlation: Gnielinski	Validity:
$Nu_{Dh} = \frac{(f/8)(Re_{Dh} - 1000)Pr}{1 + 12.7(f/8)^{1/2}(Pr^{2/3} - 1)}$ where: Dh is the hydraulic diameter [m] Re is the Reynolds number [-] Pr is the Prandtl number [-]	$0.5 \le Pr \le 2000$ $3000 \le Re_{Dh} \le 5 \times 10^6$
Nu is the Nusselt number [-] f is the Darcy friction factor [-]	

Step 4: Heat transfer coefficient computation

$$h = \frac{Nu_{Dh} \times k}{D}$$

Where, h- heat transfer coefficient

Nu – Nusselt number

- k Thermal conductivity of the fluid
- D- Hydraulic diameter of the tube/channel

HEAT TRANSFER COEFFICIENT COMPARISION



FEA AND CFD RESULTS COMPARISION



Overall Temperature – FEA approach





FEA AND CFD RESULTS COMPARISION

Standard Heater design with Plasma load=3kW





Shower head Temperature – CFD approach

REDUCED HEATER – SHOWERHEAD TEMPERATURE

Reduced heater design with Plasma load=3kW & Heater load=0.46kW



Shower head - Bottom Side Heater overlaid



Shower head, Heater & Cooling channel overlaid

Maximum temperature of 82.2 °C and minimum temperature of 78.5 °C observed on bottom side of Showerhead. Hence a ΔT=3.7 °C exists and is with in the desirable range. Average temperature over the bottom surface is 79.4 °C and is close to the requirement specifications.

Overall Comparison Table

Heater Path		Lower Thermal Gasket	Upper Thermal Gasket	Heater Power (kW)	Plasma Load (kW)	Coolant Flow (GPM)	Coolant Temperature (°C)	Showerhead Temperature (^o C)		
								ΔΤ	Max. Temp.	Avg. Temp.
Standard Heater	CASE 1	OD = same as showerhead Thermal Impedance = .244 C-in^2/W	OD = 12.7" Thermal Impedance = .110 C-in^2/W	0	3	4	30	7.4	89.5	86.4
Reduced Heater	CASE 1	OD = same as showerhead Thermal Impedance = .244 C-in^2/W	OD = 12.7" Thermal Impedance = .110 C-in^2/W	0	3	4	30	4.3	85.1	82.6
	CASE 3	13.76 OD 0.273 C-in ² /W thermal impedance	8.53 OD 0.078 C-in ² /W thermal impedance	0.46	3	6	25	25.1	114.5	105.0
	CASE 5		10.5 OD 0.093 C-in ² /W thermal impedance	0.46	3	6	25	3.7	82.2	79.4

All temperature values are in °C

Overall Comparison Table

Heater Path		Lower Thermal Gasket	Upper Thermal Gasket	Heater Power (kW)	Plasma Load (kW)	Coolant Flow (GPM)	Coolant Temperature (°C)	Showerhead Temperature (^o C)		
								ΔΤ	Max. Temp.	Avg. Temp.
Standard Heater	CASE 2A	OD = same as showerhead Thermal Impedance = .244 C-in^2/W	OD = 12.7"	6	0	4	30	18.3	115.6	108.8
	CASE 2B		= .110 C-in^2/W	5	0	4	30	15.3	101.9	96.2
Reduced Heater	CASE 2A	OD = same as showerhead	OD = 12.7" Thermal Impedance = .110 C-in^2/W	4.6	0	4	30	19.9	95.1	84.1
	CASE 2B	Thermal Impedance = .244 C-in^2/W		3.6	0	4	30	15.7	81.3	72.8
	CASE 4	13.76 OD 0.273 C-in ² /W thermal impedance	8.53 OD 0.078 C-in ² /W thermal impedance	4.14	0	6	65	10.6	120.7	116.9
	CASE 6		10.5 OD 0.093 C-in ² /W thermal impedance	4.14	0	6	65	14.2	107.4	99.5

All temperature values are in °C

CONCLUSION AND BENEFITS

Conclusion:

- For plasma load with standard heater, the temperature variation ΔT is 7.4 °C and a average temperature of 86.4 °C is
 observed while with a reduced heater the temperature variation ΔT is 4.3 °C and a average temperature of 82.6 deg C is
 observed. Hence showerhead with reduced heater gives design with less variation in temperature.
- For the reduced heater case with 3kW plasma load and 0.46kW heater load, maximum temperature of 82.2 °C and minimum temperature of 78.5 °C observed on bottom side of Showerhead. Hence a ΔT=3.7 °C exists and is with in the desirable range. Average temperature over the bottom surface is 79.4 °C and is close to the requirement specifications.

Benefits:

- Simulations were performed using the FEA approach to save computational cost and time.
- Customer saved both in prototyping and development costs.

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THANK YOU

